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A coupled CFD-DEM analysis of granular flow impacting on a water reservoir

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Abstract Massive debris flows or rock avalanches falling into a water reservoir may cause devastating hazards such as overtopping or dam breakage. This paper presents a coupled Computational Fluid Dynamics and Discrete Element Method (CFD-DEM) analysis on the impacting behaviour of a granular flow falling from an inclined slope into a water reservoir. The coupling between CFD and DEM considers such important fluidparticle interaction forces as the buoyancy force, the drag force and the virtual mass force. It is found that the presence of water in the reservoir can generally help to reduce direct impact of granular flow on the check dam behind the reservoir, minimizes the intense collisions and bouncing among particles and helps form a more homogeneous final deposited heap as compared to the dry case. While the interparticle/particle-wall frictions and collisions dominate the energy dissipation in the dry granular flow, the majority of kinetic energy of the granular system in the wet case is first transferred to the water body, which leaves the granular flow itself to become a contact-shearing dominant one and causes impulse wave travelling between the check dam and the slope surface for a rather sustained period before settling down. A power law distribution is found for the velocity profile of the granular flow travelling on both the slope and the reservoir ground surfaces, and it may change temporarily to a linear distribution at the transition point of the slope toe where the Savage number depicts a peak. The consideration of rolling friction among particles may homogeneously reduce the travelling velocity of the granular flow and alleviate the overall impact on the check dam. The impact on the check dam depends on both the initial debris releasing height and the reservoir water level. Medium water levels in the reservoir have been found to be generally safer when the initial debris height is relatively high.

1 Introduction

Granular flows in forms of snow avalanches, landslides, rock falls and debris or mud flows are among the most devastating natural hazards that cause massive losses of both human lives and properties around the world annually [2,18]. A recent catastrophic debris flow occurred in Zhouqu City of China in August 2010, for example, killed 1,765 people, injured more than 2,000 and demolished approximately 5,500 houses [43]. The significance of effective characterization and prediction of the impact of these types of granular flows has been well recognized. The currently available approaches on avalanche and debris flow simulation are either continuum based (see, e.g. [19,23,35,37] and [38,39]) or totally discrete in nature (see, [4,15]). For example, Pitman and Le [36] proposed a geophysical mass flow model based on the depth-averaged 'thin layer', by considering debris flow as a mixture of solid material and fluid. Chiou et al. [7] used a special integration

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technique by solving the hyperbolic Savage—Hutter equations to numerically investigate the rapid gravity-driven dense granular flows, partly blocked by obstacles with different shapes, sizes and positions. Teufelsbauer et al. [44] presented a comparative study of experimental and DEM investigations of the interaction between rapid granular flow and an obstacle. Knoll et al. [22] studied the formation of particles flowing between two parallel plates hitting a rectangular obstacle in a simplified two-dimensional model. Zhou and Ng [55] simulated the granular flows with mixed sized grains using DEM. Mollon et al. [25] employed angular-shaped elements to investigate the transition of granular masses changing from continuum to discrete form when propagating down a slope, in an attempt to capture the behaviour of rock avalanche.

When landslides or avalanches happen to fall into reservoirs or open seas, or they simply occur in forms of subaerial/submarine landslides, they may further cause massive impulsive water waves which may generate serious threats to dam safety (such as overtopping or damage caused by wave impact) or far-reaching damages to offshore and coastal engineering in the open sea case [33,34,48]. The Vajoint dam disaster which occurred in Italy in 1963 is probably one of the most widely known tragedies. A landslide of 300 million m³ in volume ran into the Vajoint reservoir and generated a devastating wave of 80 m high. The overtopping of water over the dam totally wiped the city of Longarone and claimed a death toll of 1,909 people [9]. More recently, a giant debris flow triggered by heavy rainfall in a mountain zone of south-western China previously shaken by the 2008 earthquake indeed caused the breakage of a check dam of 150 m long and 8 m high, and resulted in great fatalities and losses [43]. Great efforts have been devoted to better understanding the features and influencing factors of landslide-generated water waves, based on both numerical and experimental tests (see, e.g. [16,17,25,33]). There have been a number of investigations on case history study of past landslides and induced wave cases as well [12,34].

In the study of debris flow and its impacts, numerical modelling has proved to be a powerful tool providing rich and insightful information for our analysis. While the existing numerical methods on debris flow simulation have gained limited success, the majority of them have difficulties to deal with the situation involving with water, mainly due to their inability to account for the interaction between the particle system and the water. Indeed, fluid-particle interaction underpins the performance for a wider range of key engineering applications relevant to granular media besides debris flow and avalanche, including internal/surface erosion of embankment dams, oil production in petroleum industries and others [52]. A quantitative understanding of the microscale phenomena relative to fluid-particle interaction may help to establish general methods for reliable scaleup, design and control of different particulate systems and processes [59]. To this end, the Computational Fluid Dynamics and Discrete Element Method (CFD-DEM) proves to be more computationally efficient and numerically convenient than many other alternatives, such as the lattice Boltzmann-DEM coupling method and the Direct Numerical Simulation-DEM coupling methods [32,45,50,58]. The CFD-DEM method typically solves the locally averaged Navier-Stokes equation for the fluid flow by CFD which is continuum based, and Newton's equation for the motions of the particle system by DEM which is discrete based. The coupling between DEM and CFD computations is furnished by exchanging fluid-particle interaction forces. The coupled CFD-DEM method is hence a coupled continuum-discrete method indeed. This method has gained much success in application to many engineering branches and industries including chemical engineering and mining industries as well as material processing and manufacturing, involving the modelling of fluidization, pneumatic conveying and pipeline flow, blast furnace, cyclone, and film coating (see [59]). It has more recently seen a handful applications in problems related to geotechnical engineering, such as the seepage flow in soils, sinkholes, the flow under sheet pile walls and sand pile formation in water ([6,42,52-54]). The current paper aims to use a coupled CFD-DEM numerical tool developed by the authors [52,54] to investigate the impacts of a gravitydriven granular flow falling into a water reservoir from an inclined slope, in an attempt to provide useful reference for debris flow hazard mitigation and future safe design and maintenance of relevant infrastructures such as water dams.

2 Coupled CFD-DEM approach on fluid-particle interaction simulation

The adopted CFD-DEM tool has been modified from the open-source software CFDEM (www.cfdem.com) developed originally by [13]. In this coupled CFD-DEM approach, the motion of particles is governed by Newton's laws of motion which will be solved by the DEM, while the fluid system is assumed to be continuous and can be described by the locally averaged Navier–Stokes equation to be solved by the CFD ([3,45,46]). The coupling between CFD and DEM is furnished via proper consideration of particle–fluid interaction forces. Among the typical particle–fluid interaction forces it has been shown [52,53,58] that the consideration of

buoyancy force and drag force may offer reasonable predictions for general geomechanics problems, such as particle settling, 1D consolidation and sand piling in water. When the unsteady flow behaviour is significant, other unsteady forces such as virtual mass force, Basset force and lift forces may become important [58]. Following [54], in addition to the buoyancy force and the drag force, a third unsteady flow force, the virtual mass force, is also considered. The formulation of the coupled CFD-DEM approach is briefly described as follows. In addition, the surface tension force is regarded important during the entry of the granular particles into water and is also considered here.

2.1 Governing equations for the particle system

Following [8], the DEM is employed to solve the following equations governing the motion of a particle i in the particle system

$$\begin{cases}
m_i \frac{d\mathbf{U}_i^p}{dt} = \sum_{j=1}^{n_i^c} \mathbf{F}_{ij}^c + \mathbf{F}_i^f + \mathbf{F}_i^g \\
I_i \frac{d\boldsymbol{\omega}_i}{dt} = \sum_{j=1}^{n_i^c} \mathbf{M}_{ij}
\end{cases} \tag{1}$$

where \mathbf{U}_i^p and $\boldsymbol{\omega}_i$ denote the translational and angular velocities of particle i, respectively. \mathbf{F}_{ij}^c and \mathbf{M}_{ij} are the contact force and contact torque acting on particle i by particle j or the wall(s), respectively; \mathbf{r}_i^c is the number of total contacts for particle i. \mathbf{F}_i^f is the particle–fluid interaction force acting on particle i. \mathbf{F}_i^g is the gravitational force. m_i and I_i are the mass and moment of inertia of particle i. Either the Hooke or Hertzian contact law is employed in conjunction with Coulomb's friction law to describe the interparticle contact behaviour.

Particle shape is an important property in the simulation of granular materials, especially for naturally occurring materials such as sand and rock (see Zhou et al. [57]; Zuriguel and Mullin [60]; [1,26–29,51,56]). To consider its influence in the DEM, it is convenient to use sphere particles with further consideration of rolling resistance between contacted particles. In line with this idea, we adopt the directional constant torque model proposed by Zhou et al. [57] to calculate the interparticle rolling torque

$$M_r = -\mu_r F_n R_r \frac{\omega_{rel}}{|\omega_{rel}|} \tag{2}$$

where M_r is the torque between two contacted particles. F_n is the contact normal force. R_r is the rolling radius defined by $R_r = r_i r_j / (r_i + r_j)$ where r_i and r_j are the radii of the two spherical particles in contact. μ_r is the coefficient of rolling resistance.

2.2 Governing equations for the fluid system

The continuous fluid domain is discretized into cells in the CFD method. The CFD will solve the following governing equations at each cell for locally averaged state variables such as fluid velocity, pressure and density:

$$\begin{cases}
\frac{\partial(\varepsilon\rho)}{\partial t} + \nabla \cdot (\varepsilon\rho \mathbf{U}^f) = 0 \\
\frac{\partial(\varepsilon\rho \mathbf{U}^f)}{\partial t} + \nabla \cdot (\varepsilon\rho \mathbf{U}^f \mathbf{U}^f) - \varepsilon\nabla \cdot (\mu\nabla \mathbf{U}^f) = -\nabla p - \mathbf{f}^p + \varepsilon\rho \mathbf{g} + \mathbf{f}^s
\end{cases}$$
(3)

where \mathbf{U}^f is the average velocity of a fluid cell. p is the fluid pressure in the cell; μ is the averaged viscosity; \mathbf{f}^p is the interaction force averaged by the cell volume exerted by the particles inside the cell on the fluid. \mathbf{g} is the body force vector. In particular, a specific cell can be occupied by immiscible gas and liquid (e.g. air and water), and its density is the weighted average of the two phases (excluding the volume of particles if they are present in a cell). $\varepsilon = v_{void}/v_c = 1 - v_p/v_c$ denotes the porosity (void fraction) (v_{void} is the total volume of void in a cell which may contain either air or water or both; v_p is the volume occupied by the particle(s) in a cell; v_c is the total volume of a cell). ρ is the averaged fluid density defined by: $\rho = \alpha \rho_l + (1 - \alpha) \rho_g$ (ρ_l is the density of liquid phase, and ρ_g is the density of gas phase), where $\alpha = v_l/v_c = 1 - v_g/v_c$ denotes the

nominal volume fraction of liquid phase in a cell, where v_l is the nominal liquid phase volume in the cell and v_g the nominal gas phase volume, and $v_l + v_g = v_c$. Evidently, the total void volume in a cell can be written as $v_{void} = \varepsilon \left(v_l + v_g \right)$. If $\alpha = 1$, the void of a cell will be fully occupied by liquid (like water), and if $\alpha = 0$, the void is full of gas (like air). The case of $0 < \alpha < 1$ normally refers to a cell with void filled by both liquid (water) and gas (air). This definition of average fluid density in conjunction with the porosity ε leads to a neatly expressed continuity equation in Eq. (3) which has been widely followed. Zhao and Shan [52,53] have shown in their benchmarking problem of one particle settling in water that this definition offers a convenient way to simulate the transition process of particles passing between the interface between (pure) air phase and liquid phase. Surface tension at the air—water interface has an important impact on the slide-induced wave (see, e.g. [16]) which is one of the concerns in this study. In Eq. (3), we have also considered the surface tension force \mathbf{f}^s at the air—water interface, where \mathbf{f}^s is calculated by an *interFoam* solver in the CFD as follows [11]:

$$\mathbf{f}^s = \sigma \kappa n \tag{4}$$

where $\kappa = -\nabla n$ is the local curvature at the interface. σ is the surface tension coefficient. For water at 20°C, $\sigma = 0.073$ N/m. In this study, the surface tension forces on the particles are neglected.

2.3 Fluid-particle interaction forces

In simulating the falling of granular flow into a reservoir, the relatively high-speed impact of particles on the water body may generate considerable unsteady flows. To account for this behaviour, an unsteady interaction force, the virtual mass force \mathbf{F}^{vm} , has also been considered in the study, in addition to the buoyancy force \mathbf{F}^{b} and the drag force \mathbf{F}^{d} . The following average density based formulation is adopted for the buoyancy force (c.f. [20,32]):

$$\mathbf{F}^b = \frac{1}{6}\pi\rho d_p^3 \mathbf{g}.\tag{5}$$

The drag force is calculated according to the expression proposed by [10]:

$$\begin{cases}
\mathbf{F}^{d} = \frac{1}{8}C_{d}\rho\pi d_{p}^{2} \left(\mathbf{U}^{f} - \mathbf{U}^{p}\right) \left|\mathbf{U}^{f} - \mathbf{U}^{p}\right| \varepsilon^{1-\chi}, \\
C_{d} = \left(0.63 + \frac{4.8}{\sqrt{\text{Re}_{p}}}\right)^{2}, \\
\text{Re}_{p} = \frac{\varepsilon\rho d_{p}\left|\mathbf{U}^{f} - \mathbf{U}^{p}\right|}{\mu}, \\
\chi = 3.7 - 0.65 \exp\left[-\frac{(1.5 - \log_{10} \text{Re}_{p})^{2}}{2}\right]
\end{cases}$$
(6)

where d_p is the diameter of the considered particle. C_d is the particle–fluid drag coefficient which depends on the Reynolds number of the particle, Re_p is the particle Reynolds number, and $\varepsilon^{-\chi}$ denotes a corrective function accounting for the presence of other particles in the system on the drag force of the particle under consideration.

When a particle accelerates or decelerates in a fluid, it needs to deflect a certain volume of the surrounding fluid to move through and hence generates some extra virtual inertia to the system. The virtual mass force is such an interaction force to account for this effect and is considered important in the current study. In this study, the following expression is employed to calculate the virtual mass force (Odar and Hamilton [30,31]):

$$\begin{cases}
\mathbf{F}^{vm} = C_{vm} \rho_f V_p (\dot{\mathbf{v}}_p - \dot{\mathbf{v}}_f) / 2 \\
C_{vm} = 2.1 - 0.132 / (0.12 + A_c) \\
A_c = (\mathbf{v}_p - \mathbf{v}_f)^2 / [(\dot{\mathbf{v}}_p - \dot{\mathbf{v}}_f) d_p]
\end{cases}$$
(7)

where V_p is the volume of the particle; $\rho_f = \rho$ is the averaged fluid density; \mathbf{v}_p is the velocity of the particle; \mathbf{v}_f is the velocity of the fluid cell. $\dot{\mathbf{v}}_p$ is the acceleration of the particle; $\dot{\mathbf{v}}_f$ is the acceleration of the fluid cell.

The three forces defined in Eqs. (5)–(7) add up to the total interaction force considered in solving the coupling particle–fluid system by the CFD-DEM approach

$$\mathbf{F}^f = \mathbf{F}^d + \mathbf{F}^b + \mathbf{F}^{vm}. \tag{8}$$

¹ Surface tension at the free surface has not been considered in [52,53]. This is because free water surface wave was not a major concern in [52,53], and indeed the effect of surface tension has been found negligible therein.

2.4 Solution procedures and benchmarking of the CFD-DEM approach

In solving the coupled system, an iterative procedure is adopted rather than solving the particle and the fluid systems simultaneously. Specifically, with some initial conditions and incremental loads, the DEM first solves the particle system and then computes the resultant interaction forces. The interaction forces are then transferred to the fluid system to solve the fluid system by the CFD. With all state variables of the fluid solved, these interaction forces are then updated and transferred back to the DEM to solve the particle system for the next time step. The detailed solution procedure can be referred to [52,54]. In computing the interaction forces in the study, the divided void fraction method proposed in [52] is followed. In this divided void fraction method, the void fraction ε of each CFD cell is accurately determined by considering the actual portion of volume a particle (or particles) occupies in the cell when the particle is located at the boundary of the cell. This is in contrast to the commonly used *centre void fraction method* where the volume of a particle is entirely considered towards one single cell once its centre is located in that cell. When applied to the calculation of interaction forces, the divided void fraction method has been shown to lead to more reasonable results in many cases than the centre void method [52]. The coupled CFD-DEM approach has been benchmarked by classical soil/fluid mechanics problems, such as the classic Stokes's problem of sphere settling into water and Terzaghi's one-dimensional consolidation problem. In consideration of buoyancy force and drag force only, this developed approach has shown good benchmarking results as compared to the theoretical results (see [52,53]). With further consideration of the virtual mass force, the predictions have been further improved, which has been shown in a more recent work by the authors [54].

3 Simulation of granular flow falling into water reservoir

To simulate the impacting behaviour of granular flow falling into a water reservoir, we consider an idealized model set-up illustrated in Fig. 1. A packing of granular particles is generated behind a valve wall over the slope surface and is set free to fall down on gravity along the slope into a water reservoir at the foot of the slope. There is a check dam behind the reservoir. The adopted geometries of the inclined slope, the water reservoir and the check dam are presented in Fig. 1. Figure 1 is indeed the side view of a three-dimensional channel flow where the channel width is set to be 1.5 m. Two infinitely high side walls are used to confine the channel granular flow. The sidewalls, the slope surface and the ground surface of the reservoir as well as the check dam surface are idealized as elastic walls, with a modulus ten times of that of the granular particle. The adopted modelling parameters are summarized in Table 1.

To investigate the influences of initial debris height and water level, we consider three different initial debris heights (denoted, respectively, in capital letter H, M & L: H=8 m [High initial debris height], M=6 m [Medium initial debris height] and L=4 m [Low initial debris height]) and three different water levels in the reservoir (denoted, respectively, in small letter h, m& l: h=2.25 m [high water level], m=1.5 m [medium water level] and l=0.75 m [low water level]). Among the total nine different cases of combination (denoted by Hh, Hm, Hl, Mh, Mm, Ml, Lh, Lm, Ll, respectively), the case of initial debris height of 8 m (H) and basin water level of 1.5 m (m) (hereafter denoted by Case Hm) will be chosen as a representative one for detailed analysis. Two additional comparison cases are also investigated for Hm. One corresponds to a case with the same releasing height but no water in the reservoir, which will be denoted as 'dry' or Case Hd; the other case considers the influence of particle shape by changing the rolling resistance from $\mu_r=0$ to $\mu_r=0.1$ (based on the torque model proposed in Zhou et al. [57]). Note that the different value for μ_r is applied after the granular packing is generated and before it is released from the valve, and therefore, the initial granular packings are indeed identical for all cases.

We take Case Hm shown in Fig. 1 as an example to illustrate the CFD domain discretization. A trapezoidal zone bounded between the slope surface and the check dam shown in Fig. 1, abcd, is treated as the CFD domain and is discretized by CFD mesh. For the 1.5 m basin water level case, a water subdomain of 1.4 m is considered and is discretized by a CFD mesh of $20 \times 10 \times 7$ ($L \times W \times H$), and in each cell of this subdomain $\alpha = 1$. An air domain of 2.4 m high (an extra 1 metre above the dam crest is considered) is discretized by a CFD mesh of $20 \times 10 \times 12$, and in each cell of this subdomain $\alpha = 0$. A 0.2 m high subdomain between the pure air and water subdomains is treated as a transitional zone and is discretized by one layer of mesh ($20 \times 10 \times 1$) with $\alpha = 0.5$ specified for each cell. A mesh sensitivity study has shown that the chosen mesh is generally able to ensure the efficiency and stability of the coupled computations while providing reasonable predictions.

A total of 15,000 monosized spherical particles are generated for each packing used in the simulation. Starting from releasing the granular assembly from the valve, a total of 10-seconds real time of flowing and

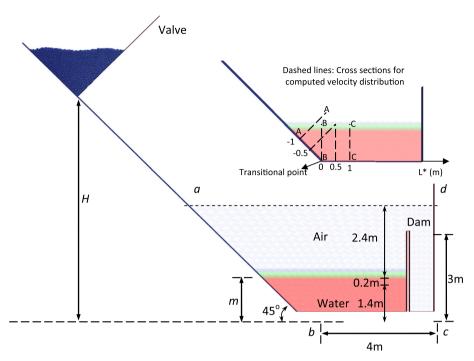


Fig. 1 Numerical model set-up and initially deposited granular materials (shown Case Hm)

Table 1 Geometric and model parameters used in the granular flow simulations

Characteristics of the initial packing	Monosized	15,000 particles, 70 mm in diameter
	Particle density	$2,700 \mathrm{kg/m^3}$
Contact model parameters	Interparticle friction coefficient	$\mu = 0.7$
	Young's modulus	70 GPa (particle–particle contact)
	(Hertz model)	700 GPa (particle–wall contact)
	Poisson's ratio	0.3
	Restitution coefficient	0.7
	Rolling friction	$\mu_r = 0$ and $\mu_r = 0.1$ (for Case <i>Hm</i> only)
	(using the torque	
	model in Zhou	
	et al. [57])	
Geometry of the slope and the reservoir	Initial release height (case letter)	8 m (H), 6 m (M), 4 m (L)
	Slope angle	45°
	Distance from dam to slope toe	4 m
	Dam height	3 m
	Basin water level (case letter)	$2.25 \mathrm{m}(h), 1.5 \mathrm{m}(m), 0.75 \mathrm{m}(l), 0 \mathrm{m}(d)$
Simulation control	Time step (DEM)	$5 \times 10^{-7} \mathrm{s}$
	Time step (CFD)	$1 \times 10^{-3} \mathrm{s}$
	Simulated real time	10 s (20,000,000 steps in DEM)

mixing process has been simulated. Small time steps have been used in both the DEM and CFD computations. As such, adequate accuracy can be achieved by stepping 2000 DEM calculations after one step CFD computation. While the CFD and DEM computations are carried out on parallel, the total computing time for each simulation, on a 4-core Intel CPU (3.2 GHz) desktop computer, is around 3 days.

3.1 Kinematics of the granular flow and its impact on the water

To illustrate the flow kinematics of the particle system and its impact on the water, Fig. 2 presents the side views of the velocity development of the particle system and the fluid flow (wet case Hm). In each panel of the figure for the first five seconds of simulation, the dry case (top) is comparatively presented against the wet case

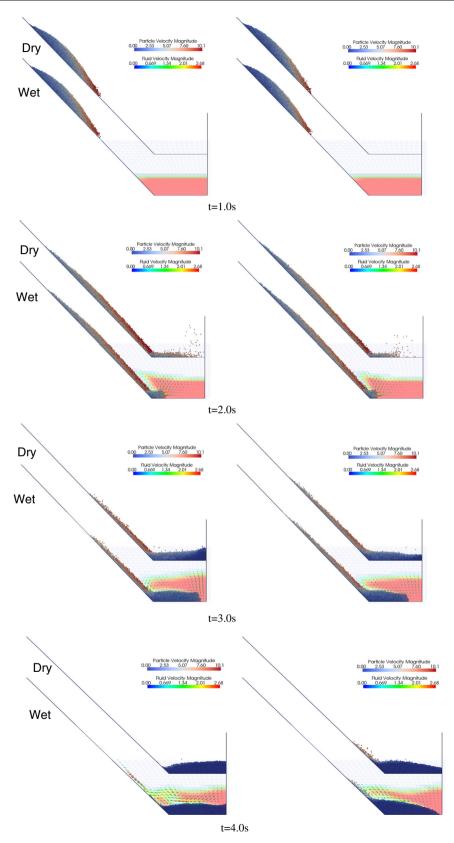


Fig. 2 *Side view* of the velocity profile of the granular flow into a reservoir (wet case Hm in comparison with the dry case Hd for the first 5 s. After t = 5 s only close-ups around the reservoir for the wet cases are shown)

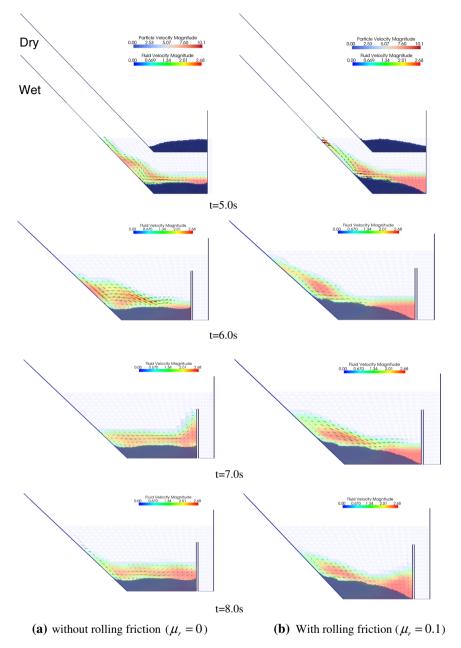


Fig. 2 continued

(bottom). Beyond t = 5 s, the granular particles totally settle down in the dry case, and only close-up figures of the wet cases are shown (for t = 6.0-8.0 s). The colour bar is used to indicate the velocities of the particle system, and both colour bar and arrows are used to show the fluid field in the wet case. As can be seen, in the *dry case*, the kinetics of the granular flow changes dramatically when the granular flow reaches the transitional zone of the slope with the reservoir ground at around t = 2.0 s. At the same time instant, the forefront of the granular flow in the dry case already hits the check dam and bounces back. In all cases, all particles settle down on the ground in front of the dam at t = 5.0 s. The consideration of rolling resistance apparently drags the falling of the granular flow slower than the case without rolling resistance and leads to a final stable deposit with a peak close to the transitional point of the slope, while the heap formed without consideration of rolling resistance shows a peak at the check dam surface.

While the behaviour of granular flow on the slope in the *wet case* appears to be roughly the same with the dry case before it hits the water reservoir, the subsequent behaviour is totally changed by the presence of water.

The forefront movement of the granular flow is significantly delayed by the water. The flow of the granular system also depicts a thicker vertical profile moving along the reservoir ground surface than in the dry case. A relatively stable heap (except some surface particles) is formed at around $t = 5.0 \, \text{s}$, with an apparently different shape than that in the dry case. In consideration of rolling resistance, a significant portion of the heap stays at the foot of the slope whose peak occurs at some point over the slope surface. Due to the influence of both water and rolling resistance, the granular flow totally settles down before it reaches the check dam. Without consideration of rolling resistance, a relatively levelled deposit is formed which is in contact with the check dam. Meanwhile, the mixing process of the particles with water transfers significant energies from the particle system to the fluid system. As a result, a surging fluid flow field is developed. The maximum fluid velocity occurs at the proximity of the forefront of the granular system. When the particles finally settle down, a surging wave is observed travelling between the check dam and the slope surface. The wave is so intense at around $t = 5.0 \, \text{s}$ that it climbs the slope surface up to as high as $3.5 \, \text{m}$ over the ground, which is more than double of the original hydrostatic height of the water reservoir $(1.5 \, \text{m})$.

From the close-up around the reservoir for the wet cases at t = 6.0, t = 7.0 and t = 8.0 s in Fig. 2, the granular systems in both rolling and non-rolling cases almost settle down. While the surging water wave swings between the dam and the slope surface, a small number of particles on the surface of the deposited particle heap may be mobilized and travel backwards to the slope surface and then fall down again. Such processes can sustain for rather a long period. Some interesting observations on the fluid field can be found from these figures. a) The overall velocity of the fluid within the granular deposit is rather small or almost stagnant, while the fluid body over the deposit (we term it surface flow here for convenience) exhibits a large kinetic energy swinging between the dam and the slope surface; b) the surface swing water waves in the two cases of with rolling and non-rolling depict different behaviour, due primarily to the different bed surfaces formed by the deposited granular particles in the two cases. A relatively plateau particle bed is formed in the non-rolling case, in comparison with a wedge shape in the rolling case. The former bed surface appears to lead to larger wavy fluctuations for the surface water, which may cause some spilling over the check dam. In the rolling case, a portion of the water body is trapped in a triangle zone between the particle wedge and the dam surface whose velocity is rather low. The average velocity of the surface wave in the latter case is hence smaller than in the former case, and there is no spilling happening either in the rolling case. c) The 10s of simulation in this study can only capture about 2 cycles of the water wave, which partially indicates that the water alone has a relatively low efficiency in dissipating energy (the subsequent analysis on energy evolution can further indicate this). The overall flow fields of both the granular system and the fluid shown in Fig. 2 appear to reasonably capture the behaviours of the granular flow and impact of granular flow on the water in the reservoir.

We have further plotted in Fig. 3 the oscillations of impulse water wave surface with the advancing of granular flow for three cases, Hm, Hl and Lm (without consideration of rolling resistance). These water surfaces have been identified based on the contour of α [defined in Eq. (3)]. Specifically, in each instant of time, the contour of $\alpha = 0.5$ is taken as the water—air interface which is regarded as the water surface. Also plotted in Fig. 3a are the fluid velocities at the fluid cells (represented by arrows) which form the water surface. For Case Hm, prior to the impacting of granular flow, the water surface is hydrostatically levelled at 1.5 m height. When the forefront of the granular flow hits the water, the particle flow rapidly penetrates the water body from below along the slope surface and rushes onto the reservoir ground. From the water surface contour at t = 2.0 s and t = 3.0 s, it appears that the granular flow acts like a solid body splitting the water body. Indeed, there is still water remaining inside the granular body as the fluid field is considered continuum. Nevertheless, the water content in each fluid cell is rather low (i.e. α is typically less than 0.5). With the further advancing of the granular flow beyond t = 4.0 s, the granular body is totally submerged in water, and the surging wave is travelling between the check dam and the slope with oscillated water surface. Interestingly, the observed behaviour of the impulse water wave in our CFD-DEM simulations is qualitatively in good agreement with the experimental observations by [16], albeit their water basin is much longer than in our simulations.

The water surface changes for the two comparison cases, Hl and Lm, are also shown in Fig. 3b, c, respectively. For Case Hl, the decrease in water level and volume leads to a larger and more inhomogeneous fluid velocity field. The shapes of the water field at different times are much more complex and irregular in comparison with Case Hm. The effective mixing zone between particle phase and water phase is below the water level of Case Hl. Therefore, the kinetic energy transferred from particles to the water is almost the same for both Hl and Hm. While the total water volume is less, the water body in Case Hl gains a larger average velocity than in Case Hm. This explains why relatively larger fluctuations of water surface are observed in Case Hl at 4.0 and 5.0 s. For Case Lm, the lower releasing height leads to early entry of the forefront of the

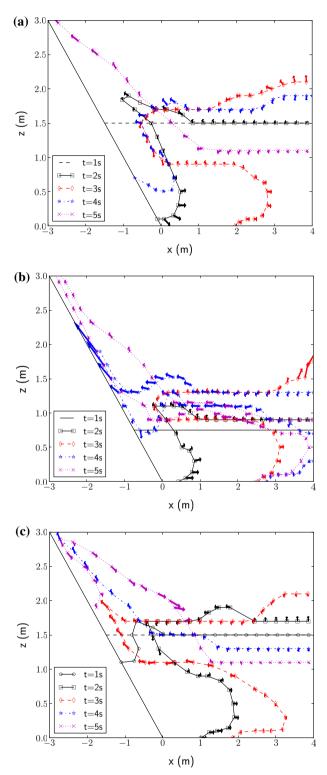


Fig. 3 Water surface evolution and the fluid velocity distribution on the water surface ($\mu_r = 0$). a Case Hm; b Case Hl; c Case Lm

granular flow, i.e. at t = 1.0 s, as compared to t = 2.0 s for Case Hm. The subsequent oscillation of the water surface is similar to Hm but is moderately weaker than Case Hm due to an overall smaller transfer of kinetic energy.

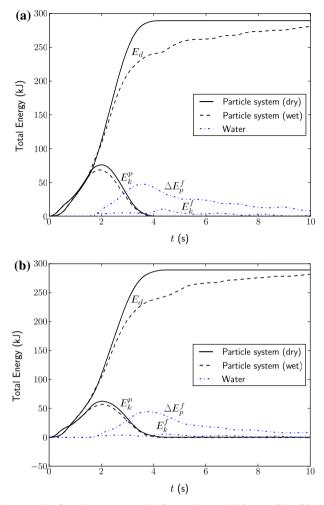


Fig. 4 Energy evolution in the granular flow into a reservoir (Cases Hm and Hd): a rolling friction $\mu_r = 0$; b rolling friction $\mu_r = 0.1$. (E_k^p = the total kinetic energy of the particle system; ΔE_p^f = potential energy change of the fluid system; E_k^f = the total kinetic energy of the fluid system)

3.2 Energy evolutions

It is instructive to see how the energy evolves, transfers, and dissipates during the entire process. Figure 4 presents in the wet case Hm and the comparison dry case Hd the evolution of the kinetic energy for both the particle and the fluid systems and the total energy dissipated over the process in terms of the difference between the total energy input and output of the entire system (i.e. between the potential energy change of the particle system ΔE_p and the total kinetic energy of both system plus the potential energy change of the water system). Notably, in either the dry or the wet case, the kinetic energy of the particle system evolves in a similar manner. It increases steadily with the release of the valve wall but the increasing rate slightly drops at around t = 0.8 s. This is caused by some initially free-falling particles at relatively high elevations behind the valve hitting the slope surface or other particles, which induces certain disruptions to the increase in the particle kinetic energy. The particle kinetic energy reaches a peak at around t = 2 s and then decreases steadily to almost zero after t = 4 s. The presence of water causes a slightly smaller kinetic energy for the particle system than in the dry case at the same time instant. The consideration of rolling resistance leads to a more moderate reduction in kinetic energy for the particle system than otherwise. The evolutions of the potential energy and kinetic energy for the water system appear to be similar in both $\mu_r = 0$ and $\mu_r = 0.1$.

The seemingly similar trends of the kinetic energy evolution for the particle system in the dry and wet cases correspond indeed to rather different underlying physical mechanisms. In the dry case, a large portion of the energy is dissipated by such physical processes as the interparticle friction, particle—wall friction, interparticle

collisions and particle-wall collisions (in the rolling resistance case, rolling friction may also contribute to the energy dissipation but the contribution is rather minor). In the wet case, the direct impact of the particle flow leads to a small peak in the kinetic energy of water at around t = 2 s. However, the subsequent reduction in kinetic energy of the particle system after t = 2 s has not entirely been caused by dissipations of the various origins mentioned in the dry case. A good proportion of the system energy has been first transferred to the water system to raise the potential energy of water, which helps the water to achieve a peak potential change at around 3.6–3.8 s. Indeed, as mentioned by [47] and [33], the major part of kinetic energy is transferred from the granular system to the water system during the underwater movement of the debris flow, which is in agreement with our numerical simulations here. Due to unbalanced distribution of the water potential in the horizontal direction of the reservoir, surging impulse waves are subsequently generated which will periodically change the kinetic energy of the water system. With the oscillation of water surface in the reservoir, the energy will be gradually dissipated out. Though we have not carried out wavelet analysis on the characteristics of the impulse wave (see [33]), the observed water wave appears to be of an oscillatory nature due probably to the relatively short distance from the impact point to the check dam where a reflective wave comes back. During this process of wave propagation, the particle system plays a minimal role, which is evidenced by the almost vanishing kinetic energy of the particle system after $t = 4 \,\mathrm{s}$.

Further evidence reflecting the two different energy dissipation mechanisms in the dry and wet cases can be found from the evolution of energy dissipation of the whole system, which is also plotted in Fig. 4 (denoted by lines for E_d). E_d is calculated according to $E_d = \Delta E_p^P - E_k^P$ for the dry case (ΔE_p^P = the potential energy change of the particle system; E_k^P = the total kinetic energy of the particle system), and $E_d = \Delta E_p^P - E_k^P - E_k^P - \Delta E_p^f$ (ΔE_p^P = the potential energy change of the fluid system; E_k^P = the total kinetic energy of the particle system; ΔE_p^f = the potential energy change of the fluid system; E_k^f = the total kinetic energy of the fluid system). From around t = 1.6 s, the initial mixing of water with particles leads to a slightly faster dissipation of energy of the system in the wet case than in the dry case, which is indicated by the diverging dashed line of the wet case from the solid line for the dry case from above. However, this process is rather brief when the two lines cross over at t = 1.9 s. After t = 1.9 s, the energy dissipation line of the dry case stays above that of the wet case, indicating a faster dissipation process in the dry case. This is a stage where the two energy dissipation mechanisms mentioned in the last paragraph come into effect. The total energy dissipation in the dry case approaches to a steady value when the particle system settles down, while the non-smooth curve of energy dissipation for the wet case reflects the fluctuation of the water wave travelling between the check dam and the slope surface which needs sustained time to eventually dissipate out the energy and settle down.

3.3 Impacting force on the check dam

It is also important to see how the granular flow and the induced surging wave impact the check dam. Figure 5a shows the evolution of the normal force exerted by the granular system and the excess normal force generated by the oscillated water for both the dry case Hd and the wet case Hm (for both cases of $\mu_r = 0$ and $\mu_r = 0.1$). Note that in the figure the curve F_n^f corresponds to the excess normal fluid pressure exerted on the dam surface, i.e. the difference between the impulse water pressure and the initial hydrostatic pressure. Apparently, the total normal forces applied by the particle system to the dam surface are considerably reduced in the wet cases as compared to the dry case. In the wet cases, the impulse wave in the reservoir applies to oscillating positive and negative excess normal fluid pressure to the dam surface, the magnitudes of which are much larger than the nearly constant normal pressure applied by the particles after $t = 4 \, \mathrm{s}$. In the case of a water dam, especially a concrete arch dam, this kind of pressure change pattern may be potentially harmful to the dam body. In the case considering rolling resistance, all the impacting forces are notably reduced. It is especially obvious in the wet case since the forefront of the particle flow has barely reached the check dam due to the presence of water and rolling resistance.

To investigate the influence of initial releasing height and water level in the reservoir on the impact force, we present in Fig. 5b a comparison among different initial debris heights with a fixed basin water level at 1.5 m and in Fig. 5c a comparison of different water levels with fixed dropping height at 8 m. As expected, the increase in initial releasing height generally leads to increased normal impacting force by the particles, as well as a higher first peak of excess normal water pressure, as shown in Fig. 5b. The subsequent evolutions of excess normal water force after the first peak, however, are quite different from the previous trend. The second

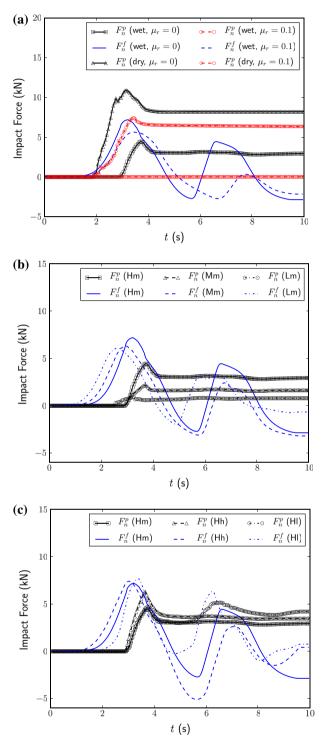


Fig. 5 Impact forces evolution of the granular flow into a reservoir: a Cases Hm & Hd; b Fixed water level m=1.5 m with three different releasing heights ($\mu_r=0$); c Fixed initial releasing height H=8 m with three different water levels ($\mu_r=0$). ($F_n^p=0$) the total normal force of the particle system; $F_n^f=0$) the total excess normal force exerted by the excess fluid pressure)

water pressure peak, for example, is higher for the low releasing height than the medium case. This is due to the different granular deposition and final water level in the reservoir after some water spilt over the dam. An interesting finding from Fig. 5c is that with the same initial releasing height the medium water level appears to lead to smaller particle impacting forces as well as a first water pressure peak than the other two water level

cases. It suggests that an optimal water level (close to the medium water level) may exist where the overall initial impacting forces may be rendered minimum. Meanwhile, it is observed that the post-first-peak water pressure fluctuation behaviour of the medium case is also more moderate than in the other two cases. The high water case Hh produces a much deeper valley for the excess water pressure, while the low water case Hl generates a higher second excess water pressure peak than the other two cases. In addition, due to the shallow water in the Hl case, it is found that when the impulse water wave travels back from the slope towards the dam surface for the second time, it mobilizes a portion of the surface granular particles to hit the check dam again. The travelling velocity of the water wave is also higher in the Hl case. In the other two relatively deep water cases (Hm and Hh), the particles almost totally settle down and are rarely affected by the reversing surface water wave.

It should also be noted that the large positive normal excess water pressure, if aggregated by the particle normal force and the initial hydrostatic water force, may significantly exceed the particle normal force in the dry cases. This indicates that special care has to be paid to the adverse effect of a debris flow falling into a reservoir which may potentially cause dam breakage, or cause overtopping if the surging wave is high. The Italian Vajont dam tragedy caused by a high-speed gigantic landslide in 1963 is a well-known example of this kind (see, [9]; Wikipedia-Vajont Dam; http://en.wikipedia.org/wiki/Vajont Dam). Figure 6a presents the max total excess forces for all the cases. Of all cases, it appears Case HI (high releasing height, low basin water) gives rise to the most dangerous behaviour of total excess force exerted on the dam surface. From Fig. 6a, we observe that when the water level is high or low, the induced max total excess force increases roughly linearly with the releasing height, which differs from the medium water level and dry cases. Interestingly, when the water level in the basin is of medium height, the dam appears to be safer in terms of total excess impacting force, given the initial releasing height of the debris is not very high. Indeed, the maximum total excess forces in all three cases of the medium water level are smaller than in the dry case, which can be seen from Fig. 6a. We further present in Fig. 6b the first period of the impulse wave for all cases, where an increasing trend of the wave period with the water level is observed. When the initial debris packing is high, a smaller period is found than in the other cases. When the basin water is low, the case of medium releasing height is found to give rise to longer wave period, which appears to be consistent with the observations in Figs. 5 and 6a since a longer wave period may be associated with low velocity and smaller impact.

3.4 Particle-fluid interaction force and particle-particle contact force

We have also monitored the evolution of the total interaction force between the particle system and the water during the impacting process for all cases. The total particle—fluid interaction force may be closely correlated with the momentum and energy transfer between the particle system and the fluid. Figure 7 indicates that the low initial height cases (*Lm* and *Ll*) generate higher total interaction forces than the other cases, but the forces quickly drop to a relatively small value due to the fast emerging of the total volume of particles into the water. In contrast, in the high initial releasing cases, the interaction force at the initial entry is not so high but stays for a relatively long time, and this is because the travelling path of the high initial height cases is long and the total volume of the particle system is spreading over the slope. Though the travelling velocity on entering the water may be high, the total interaction force is low due to small volume.

It is also interesting to monitor the evolution of the mean normal contact force in the particle system during the flow. Since in such a granular flow, as treated in this study, the contact force is dominated by interparticle collisions, the contact force may also be used as an indicator on observing the degree of collisions in the granular flow. The evolutions of the mean contact normal forces are plotted in Fig. 8. As can be seen in Fig. 8a,b, the mean contact normal force increases steadily over time when the particles flow down on the slope, reaches a peak at a time (around t = 2s) coinciding with the peak of the kinetic energy of the particle system (see Fig. 4) and then gradually decreases to a rather small value at around t = 4 s which corresponds to the time when all particles nearly settle down. The mean contact normal force has a positive correlation with the evolution of the kinetic energy for the particle system. In Fig. 8a, the presence of water in the reservoir can generally help to reduce the peak mean contact force by 30% as compared to the dry cases. The peak in the wet cases also appears to occur slightly earlier than in the dry cases, which may be partially attributable to the interaction with water involved in the early stage of the granular flow. The rolling resistance plays a rather minor role in affecting the mean normal contact force. An interesting observation from Fig. 8b is that when the initial releasing height is high, the mean normal contact force appears to be correlated with the initial height but not the presence of water. Lower initial debris height generally leads to a smaller and earlier peak of mean normal contact force.

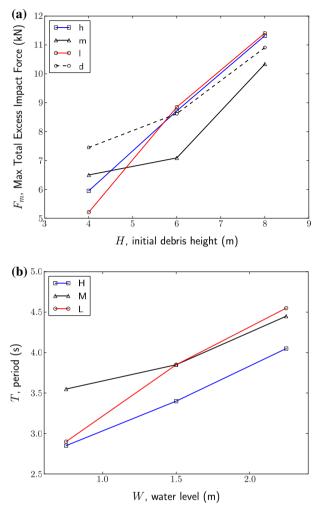


Fig. 6 Total excess impact force and the first period of excess water pressure: **a** the peak total excess impact force of all the cases $(\mu_r = 0)$; **b** the first period of the impulse wave. $(F_m = 0)$ the max total excess normal force exerted by both particle system and the excess fluid pressure)

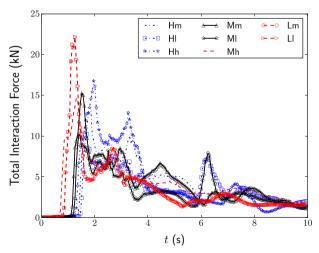


Fig. 7 The evolution of total interaction forces between the water and the granular system ($\mu_r = 0$)

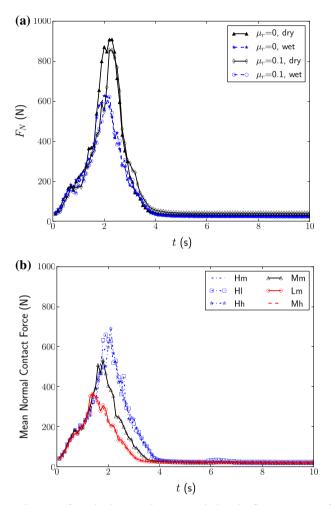


Fig. 8 Evolution of mean normal contact force in the granular system during the flow process: a Cases Hd & Hm; b Six other cases $(\mu_r = 0)$

3.5 Fabric structure of the final deposition

It is also interesting to explore the characteristics of the fabric structure of the final stable granular deposit in the reservoir to see how the presence of water and consideration of rolling resistance may affect the final fabric formation. To this end, we employ the contact force network to represent the internal fabric structure formed in the granular deposition [5,14,41]. Without considering rolling resistance (Fig. 9a), the force chain network of the deposited heap is much stronger in the dry case than in the wet case. The strong force chains in the dry case tilt preferably towards the slope direction, and there is also considerable lateral pressure between the granular heap and the check dam surface. By comparison, due to the mixing process with water, the final fabric structure in the wet case presents a considerably weaker contact force network. Almost all strong force chains in the network orientate almost vertically, which indicates that the final packing is mainly affected by gravity. The lateral pressure exerted by the final sand heap to the check dam is also much smaller than in the dry case. The consideration of rolling resistance changes the final heap pattern (Fig. 9b), but the observed differences in the fabric structure for the dry and the wet cases remain largely the same as in the case without considering rolling resistance.

3.6 Flow regimes influenced by the water

The velocity distribution of granular flow at different cross sections along the flow path is of major interest for researchers working on dry granular flow. It is instructive to compare how the presence of water affects

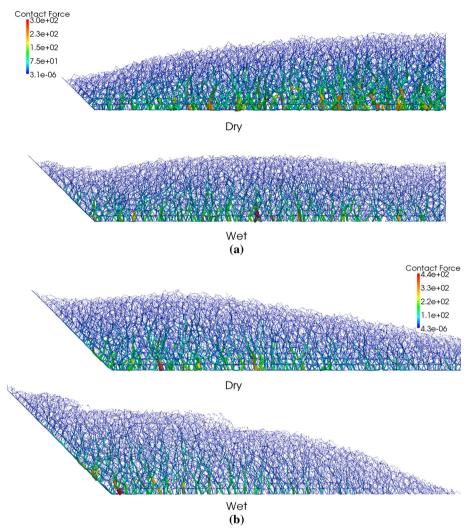


Fig. 9 Comparison of contact force networks (Case Hm) in the final stable heap formed in the reservoir for **a** the free rolling case ($\mu_r = 0$), and **b** considering rolling resistance case ($\mu_r = 0.1$)

the characteristics of the velocity profile of the granular flow. We choose a time instant when the granular flow shortly passes by the transitional point of the slope and the ground and its forefront moves roughly halfway towards the dam. For cases without consideration of rolling resistance, it corresponds to $t=2.25\,\mathrm{s}$. For the rolling resistance cases, it is $t=2.5\,\mathrm{s}$. The computed particle velocity distributions along the travelling direction (parallel to the slope surface or the ground surface) in the channel at three cross sections indicated in Fig. 1 (cross sections A and C are located 1.0 m from the transitional point at the slope surface and at the reservoir ground, respectively. Cross section B is to the right of the transitional point) are plotted in Fig. 10. All the four cases are under the same conditions of $H=8\,\mathrm{m}$ and $W=1.5\,\mathrm{m}$ in the two wet cases. Different symbols are used in the figure to distinguish the particle velocities for the four different cases (dry + without rolling resistance; wet + without rolling resistance; dry + with rolling resistance and wet + with rolling resistance). The velocity is normalized by \sqrt{gd} where d is the particle diameter. For each fitting curve, the reciprocal value of the tangential slope at each point of the curve represents the shear rates $\dot{\gamma}$ defined in the rapid granular flow theory proposed by [40]. The following indicative information can be found from Fig. 10:

(a) The velocity profile of the granular flow at both cross sections A and C can be well fitted by a power law function, while the velocity profile at cross section B is best fitted by a linear function which implies a constant shear rate case. Note that cross section B is shortly after the transitional point from the slope to the reservoir ground. The above observation implies the profile change is mainly due to the geometry change of the bedding plane on which the granular flow travels. Indeed, a further correlation with Fig. 2

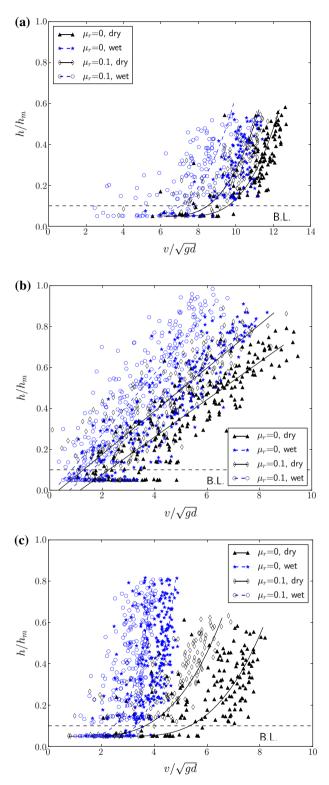


Fig. 10 Computed velocity distribution (Case Hm) along the height and travelling direction for granular flows at: a cross section A b cross section B and c cross section C (h_m is the largest height of granular heap formed in the reservoir in the case of wet case without rolling resistance)

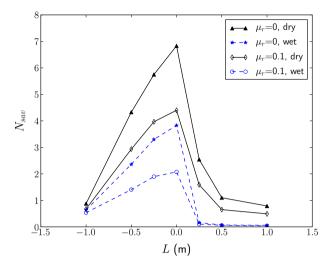


Fig. 11 Variation of Savage number N_{sav} (Case Hm: H=8 m, W=1.5 m) along the travelling direction for fully developed granular flows (L denotes the parallel to the surface distance of a cross section from the transitional point, e.g. L=-1.0 m corresponds to cross section A and L=1.0 m corresponds to cross section C shown in Fig. 1)

indicates that at the chosen time (t is around $2 \, s$), the transitional corner traps some particles close to the bottom which forms a nearly stagnant fan-shape zone. This contributes to the linear distribution of the velocity profile at cross section B, e.g. reduced velocities close to the bottom. With further movement of the granular flow along the ground surface, the top particles of the zone begin to regain their velocities, and the stagnant zone granular gradually diminishes. Up to cross section C, the velocity profile recovers its original power law form as at cross section A.

- (b) The presence of water appears to only have a marginal influence on the velocity profile at cross section A where the particles have not experienced intense mixing with the water on the slope surface. Its influence, however, becomes more evident at both cross sections B and C. At cross section C, in particular, the interaction with water renders the entire velocity profile of the granular flow displaced leftwards as compared to the dry case (Fig. 10c), indicating a systematic dragging down of the flow speed of the particle system at the entire cross section by water. Meanwhile, the total height of the granular flow body is also pushed higher than the dry cases, up to more than 30%. Nevertheless, the mixing of granular particles with water does not change the power law nature of the velocity distribution of the granular flow.
- (c) The consideration of rolling resistance may homogeneously slow down the movement of the particle system. At cross sections A and B, the dry case considering rolling resistance has a comparable profile with the wet case without consideration of rolling resistance. At cross section C, however, the profile of the former case is pushed up and leftwards as compared to the latter case, which indicates the effect of mixing with water may dominate the granular flow when it regains momentum on the ground surface.
- (d) For all cases, there is a boundary layer wherein the frictional wall effect impacts the granular flow significantly and the shear rate is considerably larger than in the other part of a profile. The thickness of this boundary layer is found to be around one particle diameter.

To gain deeper understanding towards the influences of rolling resistance and water presence on the flow regimes of the granular flow, we may further investigate the change of the Savage number N_{sav} [40] at different cross sections. The Savage number is an indicator of the relative significance of the contact shearing and the collision (inertial effect) in granular flow, which is defined as follows:

$$N_{sav} = \frac{\dot{\gamma}^2 d^2}{gH \tan \varphi} \tag{9}$$

where d is the particle diameter, H is the thickness of the granular flow, and φ is the interparticle sliding friction angle. According to the definition of the Savage number, $N_{sav} < 0.1$ means that contact-shearing stress is dominant over the solid inertial stress by collision, and the collisions are dominant if $N_{sav} \ge 0.1$.

In Fig. 11, we plot the change of the Savage number at different cross sections for the four cases (In plotting Fig. 11, the shear rate $\dot{\gamma}$ at the section top of the flow and the flowing thickness H can be determined

in conjunction with Fig. 10). It is found that the Savage number increases when the chosen location is moving towards the transitional point, reaches a peak at the transitional point and then gradually decreases to a very small value when the flow moves farther from the transitional point. This implies the granular flow can be characterized by a collision-dominant flow when it travels along the slope surface up to the transitional point. When the flow travels beyond the transitional point over the ground surface of the reservoir to cross section C, it remains a collision-dominant one in the dry cases, but gradually evolves to a contact-shearing dominant one for the wet cases. It appears that the presence of water can totally change the granular flow pattern. Figure 11 also indicates that the consideration of rolling resistance consistently leads to reduced Savage number for all cases, which is not surprising since from Fig. 10 we observe that it can help to homogeneously reduce the shear rate of the particle flow in all cases.

4 Conclusions

A coupled CFD-DEM approach was employed in this study to investigate the behaviour of granular flow falling from an inclined slope into a water reservoir. To simulate the fluid—particle interaction, three interaction forces were considered, including the buoyancy force, the drag force and the virtual mass force. The flow behaviours of both the granular system and the reservoir water were closely monitored. The evolution of energy dissipation and the underlying physical mechanisms was analysed. The study also explored the impacting forces on the check dam, the velocity profile of the granular flow at different locations along its travelling path and the fabric structure of the final stable deposit. The corresponding case of granular flow into a totally dry reservoir was calculated as a comparison. Interparticle rolling resistance was also considered in the DEM to account for the particle shape effect on the overall behaviour of the granular flow. The major conclusions drawn from the study are summarized as follows:

- The presence of water in the reservoir may change the granular flow from a collision dominant one to a contact-shearing dominant one, signified by a dramatic decrease of Savage number for the granular flow after entering the water. The water presence may also help to form a more homogeneous fabric structure than the dry case in the final deposited granular heap.
- The observed change of granular flow pattern in the presence of water is related to the underlying energy transfer and dissipation mechanisms. In the dry case, the energy of the granular flow can be rapidly dissipated by interparticle/particle—wall frictions and collisions. In the wet case, the granular flow first transfers the majority of its kinetic energy to the water body during its underwater movement, which induces surging impulse waves oscillating between the check dam and the slope surface for a sustained period before the energy can be totally dissipated and the wavy water surface settles down.
- The presence of water may help to reduce the direct impacting force on the check dam by the debris flow, but the maximum excess pressure exerted by the surging water wave plus the original hydrostatic pressure in the reservoir can be dangerously large and may cause catastrophic dam breakage or overtopping when the wave is higher than the dam. The total excess impacting force on the check dam generated by the particle system and the excess water pressure of the impulse wave depends on both the reservoir water level and the initial debris releasing height. A sensitivity study shows a medium water level in the reservoir may be relatively safer for cases with medium to high initial debris height. We have found that the medium water level case may even lead to smaller total maximum impact force than the dry case when the initial releasing height is high. When the initial debris height is low, however, a lower water level will be safer. The velocity profiles of the granular flow retain a power law distribution on both the slope surface and the ground surface of the reservoir. It changes temporarily to a linear distribution at the transition point from the slope to the levelled reservoir ground where the Savage number reaches a peak. The presence of water considerably slows down the overall velocity of granular flow and pushes up its profile height as well.
- As an approximate way to account for the particle shape effect, the consideration of rolling friction among
 particles may homogeneously reduce the travelling velocity of the granular flow and alleviate the overall
 impact on the check dam.

It should be noted that the above conclusions have been made based on rather idealized model set-up and mono-dispersed particles. The real behaviour of granular flow falling into a water reservoir can be intractably more complicated. Nevertheless, the coupled CFD-DEM approach proves to be a rational micromechanical tool helping us to gain deeper understanding towards the complex mechanisms governing the granular flow and its impact on the water reservoir and the dam body. Riding on the results obtained from the study, more realistic models, boundary conditions and grain size distribution and grain shapes (e.g. based on realistic shape

characterization approaches proposed in [26,27,51]) can be further considered, with further experimental verifications, to offer more insights into debris flow related geohazards.

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